## **Table of Contents**

Introduction.	1
I. General analysis of random maps.	7
1.1. Markov chains as compositions of random maps.	7
1.2. Invariant measures and ergodicity.	13
1.3. Characteristic exponents in metric spaces.	26
II. Entropy characteristics of random transformations.	33
2.1. Measure theoretic entropies.	33
2.2. Topological entropy.	67
2.3. Topological pressure.	82
III. Random bundle maps.	88
3.1. Oseledec's theorem and the	
"non-random" multiplicative ergodic theorem.	88
3.2. Biggest characteristic exponent.	99
3.3. Filtration of invariant subbundles.	115
IV. Further study of invariant subbundles and characterist	ic
exponents.	130
4.1. Continuity of invariant subbundles.	130
4.2 Stability of the biggest exponent.	135
4.3. Exponential growth rates.	140
V. Smooth random transformations.	156
5.1. Random diffeomorphisms.	156
5.2. Stochastic flows.	175

Appendix.	191
A.1. Ergodic decompositions.	191
A.2. Subadditive ergodic theorem.	200
References.	208