## TABLE OF CONTENTS

1. The general form of a neural network

	1.1 Introduction	
	1.2 The transformation of impulse frequencies into generator	
	potentials (intercellular transmission)	
	1.3 The transformation of generator potentials into impulse	
	frequencies (intracellular transmission)	,
	1.4 Structures of neural networks	1
2.	On the relations between several models for neural networks	1
	2.1 The retinal network of Limulus polyphemus;	1
	the Hartline-Ratliff equations	
	2.2 A statistical approach: activities in coupled neuron	
	pools; models of Cowan, Feldman, Wilson	16
	2.3 Discrete models	19
	a) the logical neurons of McCulloch and Pitts	
	b) discrete time and continuous states	20
3.	Existence and uniqueness of time dependent solutions	2
4.	Steady states of finite-dimensional networks	26
4.	Steady states of finite-dimensional networks 4.1 Existence problem	26 26
4.		
4.	4.1 Existence problem	26
4.	4.1 Existence problem 4.2 The number of steady states	26 29
4.	<ul><li>4.1 Existence problem</li><li>4.2 The number of steady states</li><li>a) single neurons</li></ul>	26 29 29
4.	<ul><li>4.1 Existence problem</li><li>4.2 The number of steady states</li><li>a) single neurons</li><li>b) pairs of neurons</li></ul>	26 29 29 33
4.	<ul> <li>4.1 Existence problem</li> <li>4.2 The number of steady states <ul> <li>a) single neurons</li> <li>b) pairs of neurons</li> <li>c) arbitrarily many neurons</li> </ul> </li> </ul>	26 29 29 33
	<ul> <li>4.1 Existence problem</li> <li>4.2 The number of steady states <ul> <li>a) single neurons</li> <li>b) pairs of neurons</li> <li>c) arbitrarily many neurons</li> </ul> </li> <li>4.3 Input-output behavior of stationary networks</li> </ul>	26 29 33 36 45
	<ul> <li>4.1 Existence problem</li> <li>4.2 The number of steady states <ul> <li>a) single neurons</li> <li>b) pairs of neurons</li> <li>c) arbitrarily many neurons</li> </ul> </li> <li>4.3 Input-output behavior of stationary networks</li> <li>4.4 An example of spatial hysteresis</li> </ul>	26 29 29 33 36 45
	<ul> <li>4.1 Existence problem</li> <li>4.2 The number of steady states <ul> <li>a) single neurons</li> <li>b) pairs of neurons</li> <li>c) arbitrarily many neurons</li> </ul> </li> <li>4.3 Input-output behavior of stationary networks</li> <li>4.4 An example of spatial hysteresis</li> <li>Local stability analysis of nets with finitely many neurons</li> </ul>	26 29 33 36 45 48
	<ul> <li>4.1 Existence problem</li> <li>4.2 The number of steady states <ul> <li>a) single neurons</li> <li>b) pairs of neurons</li> <li>c) arbitrarily many neurons</li> </ul> </li> <li>4.3 Input-output behavior of stationary networks</li> <li>4.4 An example of spatial hysteresis</li> <li>Local stability analysis of nets with finitely many neurons</li> <li>5.1 Introduction</li> <li>5.2 The linearization principle</li> </ul>	26 29 33 36 45 48 50
	<ul> <li>4.1 Existence problem</li> <li>4.2 The number of steady states <ul> <li>a) single neurons</li> <li>b) pairs of neurons</li> <li>c) arbitrarily many neurons</li> </ul> </li> <li>4.3 Input-output behavior of stationary networks</li> <li>4.4 An example of spatial hysteresis</li> <li>Local stability analysis of nets with finitely many neurons</li> <li>5.1 Introduction</li> </ul>	26 29 33 36 45 48 50 51
	<ul> <li>4.1 Existence problem</li> <li>4.2 The number of steady states <ul> <li>a) single neurons</li> <li>b) pairs of neurons</li> <li>c) arbitrarily many neurons</li> </ul> </li> <li>4.3 Input-output behavior of stationary networks</li> <li>4.4 An example of spatial hysteresis</li> <li>Local stability analysis of nets with finitely many neurons</li> <li>5.1 Introduction</li> <li>5.2 The linearization principle</li> <li>5.3 Some simple general criteria for asymptotic stability</li> </ul>	26 29 29 33 36 45 48 50 51 59
	<ul> <li>4.1 Existence problem</li> <li>4.2 The number of steady states <ul> <li>a) single neurons</li> <li>b) pairs of neurons</li> <li>c) arbitrarily many neurons</li> </ul> </li> <li>4.3 Input-output behavior of stationary networks</li> <li>4.4 An example of spatial hysteresis</li> <li>Local stability analysis of nets with finitely many neurons</li> <li>5.1 Introduction</li> <li>5.2 The linearization principle</li> <li>5.3 Some simple general criteria for asymptotic stability</li> <li>5.4 Single neurons</li> </ul>	26 29 33 36 45 48 50 51 59

6. Oscillations in nets with	h finitely many neurons	81
6.1 Introduction		81
6.2 Oscillations in close	ed chains of neurons	81
6.3 Oscillations in syste		91
7. Homogeneous tissues with	lateral excitation or	
lateral inhibition		105
7.1 Introduction		105
7.2 The model		106
7.3 Stationary solutions	and their stability	109
7.4 Thresholds in bistab		113
7.5 Traveling fronts		116
7.6 Diverging pairs of f	ronts (spread of excita-	
tion or depression)		119
8. Homogeneous tissues with	lateral excitation and	
self-inhibition	Tabelal Grant Table	121
8.1 The model		121
8.2 Bulk oscillations		124
8.3 Traveling pulses (so	olitary waves)	127
8.4 Traveling wave train		132
	11 tubibibion and	
9. Homogeneous tissues with		135
self- or local excitat	:ion	135
9.1 The model		137
9.2 Periodic spatial pat	terns	141
9.3 Stability		144
9.4 Miscellaneous topics	š	144
References		
List of symbols		158
Index		159