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Functional spaces and their exceptional sets

(Jürgen Bliedtner)

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(Jürgen Bliedtner)

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(Wolfhard Hansen)

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(Klaus Janßen)

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(Bernd Anger)

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